

# A Mechanism for Reasoning over Defeasible Preferences in Arg2P

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- 2 Background notions
- 3 PAFs in Arg2P
- 4 GPAFs in Arg2P
- 5 Conclusions



# Context & motivation I

## Argumentation with Conditional Preferences

- preferences depending on the admissibility status of an argument
- many real life scenarios assume the ability to argue over preferences
- we often express preferences depending on the situation
- ? an efficient implementation of models for defeasible preferences is missing
- we want to obtain the highest degree of *compatibility* with the standard approaches for *standard* and *structured* argumentation

# Context & motivation II

## Proposal

*an efficient implementation for defeasible preferences in Arg2P*

[Pisano et al., 2020, Calegari et al., 2020]

→ the work is based on **Dung's model for conditional priorities** [Dung et al., 2019]

- provide an *optimized* implementation of the base model
- *generalise* the algorithm to handle *arbitrary* preference relations over arguments

# Structured argumentation I

## Defeasible rules

Rules that can be defeated by contrary evidence

- used to represent defeasible knowledge, i.e., tentative information that may be used if nothing could be posed against it

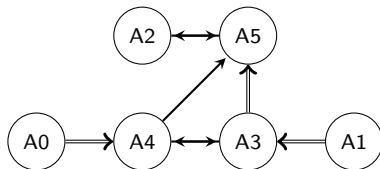
Standard argumentation theory [Modgil and Prakken, 2014]

- *defeasible theory* consists of a set of rules
- *arguments* can be constructed by chaining rules from the theory
- argument *A* *attacks* an argument *B* iff *A* **undercuts**, **rebutts** or **undermines** *B*

# Structured argumentation II

## Definition (Argumentation Framework (AF))

An **argumentation graph** constructed from a defeasible theory  $T$  is a tuple  $\langle \mathcal{A}, \rightsquigarrow \rangle$ , where  $\mathcal{A}$  is the set of all arguments constructed from  $T$ , and  $\rightsquigarrow$  is the *attack* relation over  $\mathcal{A}$



## Labelling semantics<sup>[Dung, 1995, Baroni et al., 2011]</sup>

Each argument is associated with one label which is either IN, OUT, or UND meaning the argument is either accepted, rejected, or undecided

# Structured argumentation & Preferences I

## Preference Arguments<sup>[Dung et al., 2019]</sup>

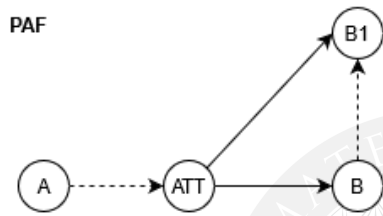
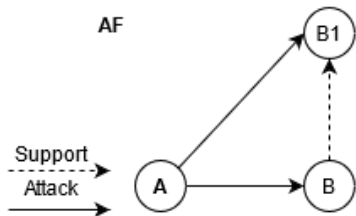
An argument such that its conclusion has the form  $N(r1) \prec N(r2)$  where  $r1$  and  $r2$  are *defeasible rules*.

## Preference based Argumentaion Framework (PAF)<sup>[Dung et al., 2019]</sup>

PAFs are a *transformation* of a standard AF also accounting for preference arguments.

- transform AF attacks into arguments
  - conditional preferences attack these new arguments, thus challenging their effect
- rebuild the attacks set considering
  - 1 attacks coming from attacks transformed into arguments
  - 2 attacks involving preference arguments

## Structured argumentation &amp; Preferences II





# Structured argumentation & Preferences III

## PAF conservativeness

PAF is a conservative *generalisation* of standard AFs

- *standard semantics* can be applied to PAFs to determine arguments admissibility

## Preference attack relation

the original work by [Dung et al., 2019] is focused on the relation used to identify the preference attacks

- $patt \subseteq \mathcal{A} \times \text{dbut}_{\rightsquigarrow}$  such that  $(X, (A, B)) \in patt$  iff  
 $\exists d \in \text{LastDefRules}(A)$  such that  $d < \text{TopRule}(B) \in \text{Conc}(X)$
- an attack is not valid iff exists a single preference against it

# PAF in Arg2P I

## Arg-tuProlog

- lightweight implementation of structured argumentation
- interoperability, portability, modularity, customisation
- suitable for highly-distributed environments
  - query-mode evaluation

## Optimizing the transformation

- only attacks that are *impacted* by a preference argument are *transformed*
- if there are no preference arguments the PAF is *equal* to the original AF
  - no computational overhead (keep the *graph size* small)

## PAF in Arg2P II

## AF to PAF transformation

```

(PafArguments, PafAttacks) BuildPafArgumentationGraph(Arguments, Attacks):
  (ValidAttacks, InvalidAttacks) = filterSupRelatedAttacks(Attacks)

  (NewArguments, NewAttacks) = convertAttacks(InvalidAttacks)

  PrefAttacks = buildPrefAttacks(Arguments, NewArguments)

  PafArguments = append(Arguments, NewArguments)
  PafAttacks = append(ValidAttacks, NewAttacks, PrefAttacks)
  return (PafArguments, PafAttacks)

```

- ① filter attacks that are in no circumstances impacted by preference arguments
- ② convert the preference-related attacks into arguments
- ③ build the set of attacks coming from preference arguments
- ④ return the new arguments and attacks sets

# A simple example

## Theory

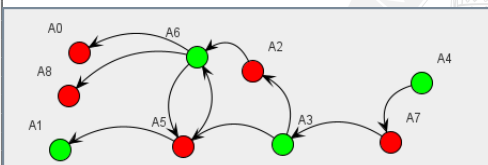
```

r0 : [] => a.
r1 : a => b.
r3 : [] => -a.
r4 : [] => sup(r0, r3).
r5 : [] => sup(r3, r0).
r6 : [] => sup(r5, r4).
  
```

- 1 rules  $r_0$  and  $r_1$  concluding the two conflicting literals  $a$  and  $\neg a$
- 2  $r_1$  claims  $b$  if  $a$  is proved
- 3  $r_4$ ,  $r_5$  and  $r_6$  claim preferences over those rules

```

A0 : r0 ==> a
A1 : r3 ==> -a
A2 : r4 ==> sup(r0, r3)
A3 : r5 ==> sup(r3, r0)
A4 : r6 ==> sup(r5, r4)
A5 : A0, attack ==> attack(A0, A1)
A6 : A1, attack ==> attack(A1, A0)
A7 : A2, attack ==> attack(A2, A3)
A8 : A0, r1 ==> b
  
```



# Going Further

## Transformation Soundness

The transformation algorithm is sound w.r.t. the original model

[Dung et al., 2019]

→ demonstration details in the paper

## Should we stop here?

Our requirements demand to have *the highest degree of compatibility with the standard approaches of standard and structured argumentation*

→ **What about the use of combined preferences?**

The *ASPIC+* framework deals also with arguments relations based on *multiple preferences* (e.g. *weak democrat principle*)

→ We need to generalise standard *PAF* mechanisms

# Generalising PAFs I

## Grouped Preference Set & Joint preferences argument

Given a set of preference arguments  $\mathcal{A}_P$  in an argumentation framework, the set of all the possible subsets of  $\mathcal{A}_P$  ( $2^{\mathcal{A}_P}$ ) is the **grouped preference set**

- for every element of the grouped preference set we build an artificial argument called **joint preferences argument**.

## From PAF to GPAF

- 1 the arguments set also contains the joint preferences arguments
- 2 preference attacks are not issued by single arguments but by joint preferences arguments
  - we can now have combination of rule preferences

# Generalising PAFs II

## AF to GPAF transformation

```

(PafArguments, PafAttacks) BuildPafArgumentationGraph(Arguments, Attacks):
  (ValidAttacks, InvalidAttacks) = filterSupRelatedAttacks(Attacks)

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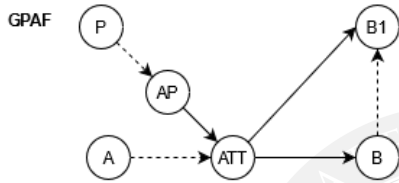
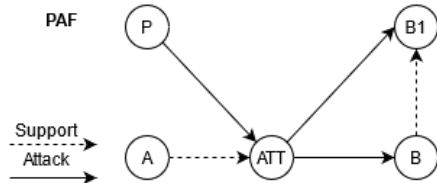
  PrefAttacks = buildPrefAttacks(Arguments, NewArguments)

  PafArguments = append(Arguments, NewArguments)
  PafAttacks = append(ValidAttacks, NewAttacks, PrefAttacks)
  return (PafArguments, PafAttacks)

```

- ① filter attacks that are in no circumstances impacted by **joint preferences arguments**
- ② convert the preference-related attacks into arguments
- ③ build the set of attacks coming from **joint preferences arguments**
- ④ return the new arguments and attacks sets

## Generalising PAFs III





# A simple example

## Theory

```

r0 : [] => a.
r1 : a => b.
r2 : [] => -b.
r3 : [] => sup(r2, r1).
r4 : [] => sup(r2, r0).

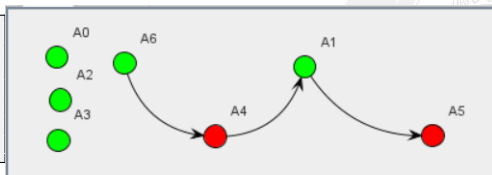
```

- 1 rules r1 and r2 concluding the two conflicting literals  $b$  and  $\neg b$
- 2 r1 claims  $b$  if  $a$  is proved
- 3 r4, r5 and r6 claim preferences over those rules
- 4 we apply the *weakest-link democratic ordering*

```

A0 : r0 ==> a
A1 : r1 ==> b
A2 : r4 ==> sup(r2, r0)
A3 : r3 ==> sup(r2, r1)
A4 : A5, attack ==> attack(A5, A1)
A5 : A0, r1 ==> b
A6 : A2, A3, pref ==> mergedPreference

```



## Future work

The work needs further analysis w.r.t. the themes of:

- computational complexity
  - *polynomial* w.r.t. the number of input attacks for both the algorithms
    - $O(2N * PA)$  where  $N$  is the number of the input attacks and  $PA$  is the number of preference arguments
  - ! but a formal analysis is still missing
- termination
  - transformed graph should be *always* be obtainable by the proposed algorithms
  - *soundness* of solutions provided by the *transformed* argumentation graph must be proved

Also a *formal foundation* for the GPAF model needs to be provided

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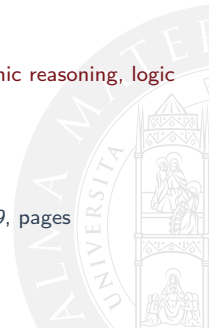
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